# Minimizing the cardinality of a real-time task set by automated task clustering

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## Context

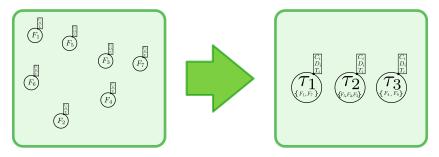
- Real-time systems with uniprocessor
- Task model (Liu et Layland)
  - $C_i$ : worst case execution time of  $\tau_i$
  - $T_i$ : activation period of  $\tau_i$
  - $D_i$ : deadline of  $\tau_i$
  - constraint deadlines:  $D_i \leq T_i$
  - $\circ~$  independent and synchronous tasks

# Problem

- Up to  $\approx 1000$  high level functionalities in RT system software (e.g. aileron command, read pressure sensor, etc.)
- Functionalities implemented via real-time threads (tasks) by programmers
- RT operating systems (OS) support a limited number of concurrent threads (several tens of OS tasks)
  → Several functionalities grouped together in a thread
- Usually hand made in industry (error prone, tedious)
- Our solution: automated task clustering

# Objective

- Automatically grouping functionalities to tasks to minimize their number
- while keeping the system functionally equivalent
- while preserving schedulability



#### Task clustering

• Cluster  $\tau_i$  and  $\tau_j$  into  $\tau_{ij}$ 

$$\circ C_{ij} = C_i + C_j$$
  
$$\circ T_{ii} = T_i - T_i$$

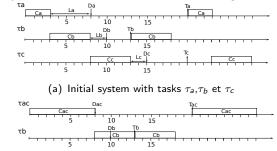
- $\circ T_{ij} = T_i = T_j$
- D<sub>ij</sub> = min(D<sub>i</sub>, D<sub>j</sub>) (taking shortest deadline ensures respect of initial constraints)
- What is a valid cluster?

$$1 T_i = T_i$$

- 2 Laxity  $L_i = (D_i C_i) \ge C_y$  (if  $D_i \ge D_j$ )
- 3 Whole system is still schedulable

# Schedulability problem

System may not be still schedulable after clustering



(b) System after task clustering  $\tau_a$  et  $\tau_c$ 

• In the second diagram,  $\tau_b$  misses its first deadline after clustering of  $\tau_a$  and  $\tau_c$ 

 $\rightarrow$  Schedulability after each clustering must be checked!

## Task clustering complexity

- Combinatorial explosion: number of possible clusterings in the Bell number range (e.g.,  $B_{500}=10^{844})$
- *Exact schedulability tests* have often pseudo-polynomial complexity *Sufficient tests* a linear complexity
- Exhaustive search untractable even using linear sufficient tests (no response after several days of computation for 20 tasks from first experiments)
- $\rightarrow$  We need a heuristic to tackle this task clustering

# Heuristic Approach

- I would be happy to explain to you how we use *schedulability test* as *heuristic cost function* in the front of my **poster**!
- Thanks for your attention!

